# Interspecific variation within the genus Ophiomorus Duméril \& Bibron, 1839 (Sauria: Scincidae) in Iran based on morphological characters 

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#### Abstract

Many studies conducted on range of animals showed that morphology is related to habitat. In the present study, we aimed to examine the morphological characteristics of species assigned to the genus Ophiomorus in Iran. Seventy-one specimens from throughout the range of distribution in the central plateau of Iran were investigated. Eleven morphometric and four meristic variables were analyzed independently. Multivariate analyses were performed using canonical variate analysis (CVA) and principal component analysis (PCA). The results showed that there is significant morphological differentiation between three species groups brevipes, tridactylus, and punctatissimus in this genus in relation to habitat choice. ANOVA results showed that 14 morphological characters (SVL, HL, HW, HH, SL, LF, LA, LFL, LFH, LHF, NSL, NDSB, NMC, and NIL; 10 metric and four Meristic) were significantly different among all Ophiomorus species, which based on this, TL did not show a significant difference among species. Finally, we assigned three species groups based on limb reduction (especially fingers), and habitat surface (comparison based on habitat observations) for all Ophiomorus species in Iran. In addition, using newly applied morphological characteristics we proposed an updated identification key for the genus.


Key words: Adaptation, Biogeography, Morphology, Ophiomorus, Iranian Plateau, Snake Skinks

## Introduction

Traditional taxonomy based on morphological diagnostics and the morphological species concept, is important to use accurate characteristics to determine the species (Mayr, 2000; Sites \& Marshall, 2003; Bauer et al., 2011; Kornilios et al., 2018). However, it should be highlighted that each species may show geographic variation in morphology, and then in this case, the integrated taxonomic study will help the evaluation (Padial et al., 2010; Ford, 2018; Cicero et al., 2021). Reptiles are one of the ancient animal groups that live more than 300 million years on the earth, during this time adapted to different habitats and most diversified (Organ et al., 2008). Due to the low mobility of reptiles and select the microchabitat area as special habitat in some taxa, strict adaptations can be found in these types of animals (CloudsleyThompson, 1991). The Family Scincidae in Iran consists of six genera, one of which is the genus

Ophiomorus, which occurs in most parts of the central Iranian plateau (Nabizadeh et al., 2022). The recent molecular phylogenetic study showed that the genus Ophiomorus has a sister relationship with the genus Mesoscincus from Central America, which belongs to the Scincidae family (Pyron et al., 2013; Andrade et al., 2016). The genus Ophiomorus has 12 species, which show a considerable amount of morphological and ecological diversity. Three species of the genus inhabited the west of the Palearctic, namely in southeastern Europe, the Middle East, and the eastern Mediterranean region, and nine of them are distributed in south and southwest Asia (Nabizadeh et al., 2022). Seven species including endemic and non-endemic species are present in the Iranian plateau (Nabizadeh et al., 2022) (Fig. 1). Iranian endemic species comprise Ophiomorus maranjabensis, Ophiomorus nuchalis, Ophiomorus persicus, and Ophiomorus streeti (Anderson, 1999; Nabizadeh et al., 2022) (Fig. 2). Recently, two species of the genus Ophiomorus have been described. Ophiomorus maranjabensis and Ophiomorus kardesi were described in Iran in 2011 and southern Turkey in 2018, respectively (Kazemi et al., 2011; ŠMÍD et al., 2014; Eskandarzadeh et al., 2018; Kornilios et al., 2018). The genus dwells in different types of habitats and surfaces. The results obtained from the morphological studies showed that $O$. maranjabensis, O. streeti, and $O$. tridactylus are only distributed in completely sandy habitats or sand dunes, but $O$. persicus lives in hard and stony grounds. In addition, $O$. nuchalis, $O$. brevipes, and $O$. blanfordii live in habitats where the hard ground is a mixture of sand and gravel (Anderson, 1999; Nabizadeh et al., 2022) (Fig. 3). One of the main characteristics of skink members is the short limbs or no limbs, which means that this genus is a monophyletic group taxon (Pyron et al., 2013). Identification of all members of this genus except Ophiomorus kardesi was mainly based on morphological traits (Kornilios et al., 2018). The members of this genus choose different habitats based on their morphological characteristics (Greer \& Wilson, 2001) and accordingly, Anderson and Leviton (1966) divided the members of this genus into three species groups, brevipes, tridactylus, and punctatissimus. These characters were defined based on their tendency to limb reduction (especially fingers) (Anderson \& Leviton, 1966). Anderson (1999) divided the genus Ophiomorus into two western and eastern groups based on habitat preferences. The western group have a very cylindrical and long body and a conical snout, and they choose hard surfaces, such as under rocks or hard soils, as habitats which include Ophiomorus punctatissimus, Ophiomorus latastii, and Ophiomorus persicus. The eastern group consists of Ophiomorus chernovi, Ophiomorus brevipes, Ophiomorus blanfordii, Ophiomorus nuchalis, Ophiomorus streeti, Ophiomorus raithmai, and Ophiomorus maranjabensis that are dwelling in loose sand and sand dune regions. Due to the nocturnal activity and nest under the surface or being cryptic, the genus Ophiomorus has not been studied thoroughly. In the present study, we aimed to examine the morphological characteristics of species of the genus Ophiomorus from the Iranian Plateau. Meanwhile, the main goal of this study was to investigate the validity of the morphological characteristics of the Ophiomorus species in the Iranian Plateau.

## Material and Methods

## SAMPLING AND DEPOSITION

Ninety specimens of the genus Ophiomorus were collected during fieldwork in Central Iran from April 2019 to September 2021 (Table 1). Finally, we selected 71 male specimens belonging to eight taxonomic operational units (OTUs). The locality addresses of the collected population and their geographic coordinates are provided in Table 1. Elevation was obtained using a Garmin eTrex 30 GPS receiver. Specimens were photographed and then euthanized, and all specimens were preserved in $75 \%$ ethanol and deposited in the Sabzevar University Herpetological Collection (SUHC). The approval (no. 14968) for the study was provided by the ethical committee of Razi University of Kermanshah, Kermanshah, Iran.

## MORPHOLOGY

Morphological characters were examined as body size and body shape, meristic characters of pholidosis, and the description of color patterns of adult specimens. All measurements were taken using digital calipers with 0.01 mm accuracy under the light loop. Furthermore, the heads of all species were drawn to compare the scales of the head. Morphometric and morphological descriptions followed Anderson (1999), Rastegar-Pouyani et al. (2001, 2007), Kazemi et al. (2011) and Nasrabadi et al. (2017).


FIGURE 1. Sampling localities of collected specimens of Ophiomorus in Iran.
For morphometric analysis, the following standard characters were used: SVL-snout-vent length (from snout to vent); TL-tail length (from the posterior edge of the cloaca to the tip of the tail); HL-head length (from the end of the snout to the angle of the jaw); HW—head width (at the widest point of the head); HH—head height (from lower edge infralabial to the tip of supraocular); SL—Snout Length (from the tip of snout to the anterior corner of the eye); LF-Length of femur; LA - Length of arm; LFLLength of forelimb; LFH-Length of hindlimb; LHF-Length between hindlimb and forelimb. The following meristic characters were examined: NSL (R/L) - Number of supralabials; NIL (R/L)—Number of infralabials; NDSB-Number of dorsal scales around the body; NMC-Number of scales from mental to anterior edge of the cloaca. In addition to the characters mentioned above, we added body coloration and patterns for the specimen description.

## MULTIVARIATE AND UNIVARIATE ANALYSES

The 11 morphometric and four meristic variables were analyzed independently (Table 2). Statistical analyses were used to investigate differences in shape and size among all Ophiomorus species and OTU (Ophiomorus cf. nuchalis) present in Iran.


Figure 2. Photos of the endemic species of the genus Ophiomorus in Iran, $O$. streeti (A), $O$. maranjabensis (B), O. nuchalis (C), O. persicus (D) and Non-endemic species $O$. brevipes (E), $O$. blanfordii (F), O. tridactylus (G).

SPSS Statistics V.26. was used for statistical analyses, and data normality was checked before analyses. Analysis was carried out separately for morphometric and meristic characters. All morphometric characters were $\log _{10}$-transformed to obtain data normality and increase the homogeneity of variance. After getting the normality test, a one-way analysis of variance (ANOVA) was used among the species. Multivariate analyses have been done using two popular approaches in morphological studies: Canonical Variate Analysis (CVA) and Principal Component Analysis (PCA). These multivariate approaches were done on the significant characters identified by ANOVA. Based on significant characters, the PCA was used to assess the variation among populations. Based on the population grouping, the CVA was used to determine the correct classification.

## Results

## COLOR AND PATTERN

Based on data from all specimens examined, the color pattern in Ophiomorus is variable and may depend on ground color (pers. obs.). The members of the tridactylus group living in a completely sandy habitat have a light color (canary yellow color, cream or bright brown in preservative, sandy-beige in life) on the dorsal surface (Fig. 2 (A-B-G)). However, the dorsal color is cream or pale brown in the members of the brevipes group (Fig. 2 (C-E-F)).


FIGURE 3. (A) One of the habitats of Ophiomorus nuchalis, Hoseynabad-e Mish Mast village, Qom province, Iran; (B) Type locality of Ophiomorus blanfordii is restricted to Chah Bahar, Iran; (C) Type locality of Ophiomorus streeti, Baluchistan, 11 miles west of Iranshahr, Iran; (D) Type locality of Ophiomorus maranjabensis, Maranjab, south of salt Lake, Iran; (E) Type locality of Ophiomorus brevipes, Sáadatabád (Now: Hajiabad, Hormozgan Province, Iran), S.W. of Karman; (F) East Zabol, one of the habitats of Ophiomorus tridactylus; (G) Rabor area in Kerman, one of the habitats of Ophiomorus persicus.

TABLE 1. Distribution records of the Ophiomorus used in this study.

| Species | Latitude | Longitude | Locality |
| :--- | :--- | :--- | :--- |
| Ophiomorus blandfordii | 25.121 | 61.228 | Beris Village, Chabahar, Sistan and Baluchestan Province, Iran |
| Ophiomorus blandfordii | 27.349 | 62.316 | Saravan County, east of Sistan and Baluchestan Province, Iran |
| Ophiomorus brevipes | 30.115 | 55.166 | Shahrebabak city, Kerman Province, Iran |
| Ophiomorus brevipes | 28.206 | 56.193 | Vicinity of Hadjiabad (Sáadatabád) city, Kerman Province, Iran |
| Ophiomorus maranjabensis | 34.311 | 51.863 | Marnjab Desert, Aran o Bidgol, Isfahan Province, Iran |
| Ophiomorus nuchalis | 35.097 | 51.855 | Mobarakiyeh Village, Varamin, Tehran Province, Iran |
| Ophiomorus nuchalis | 34.463 | 51.156 | Hoseynabad-e Mish Mast Village, Qom Province, Iran |
| Ophiomorus cf. nuchalis | 34.057 | 54.803 | Mesr Desert,Khour va Biabanak County, Isfahan Province, Iran |
| Ophiomorus cf. nuchalis | 33.519 | 53.855 | Anarak-Khur road, Naein County, Isfahan Province, Iran |
| Ophiomorus cf. nuchalis | 31.444 | 54.998 | near Mehriz, 80 km SE form Yazd, Yazd Province, Iran |
| Ophiomorus persicus | 29.262 | 56.979 | Rābor, Baft, Kerman Province, Iran |
| Ophiomorus streeti | 27.933 | 58.083 | Roudbar Village, Kerman Province, Iran |
| Ophiomorus streeti | 26.779 | 60.371 | Espakeh-Chanf road, Sistan and Baluchestan Province, Iran |
| Ophiomorus streeti | 27.172 | 60.735 | Iranshahr, Sistan and Baluchestan Province, Iran |
| Ophiomorus tridactylus | 25.796 | 57.815 | Bandar-e-Jask, Hormozgan Province, Iran |
| Ophiomorus tridactylus | 25.267 | 60.771 | Chabahar, Sistan and Baluchestan Province, Iran |
| Ophiomorus tridactylus | 26.128 | 60.109 | Nikshahr, Sistan and Baluchestan Province, Iran |
| Ophiomorus tridactylus | 27.628 | 62.779 | Jālq, Sistan and Baluchestan Province, Iran |
| Ophiomorus tridactylus | 27.112 | 63.222 | Kuhak, Sistan and Baluchestan Province, Iran |
| Ophiomorus tridactylus | 28.105 | 61.331 | Khash, Sistan and Baluchestan Province, Iran |
| Ophiomorus tridactylus | 29.068 | 61.385 | Mirjaveh-Zahedan road, Sistan and Baluchestan Province, Iran |
| Ophiomorus tridactylus | 31.066 | 61.652 | Dust Mohammad, Zabol, Sistan and Baluchestan Province, Iran |

TAble 2. The main morphometric and meristic characters examined in the Ophiomorus specimens in this study.

|  | Character | Definition |
| :---: | :---: | :---: |
| 菏 | SVL | Snout-Vent Length |
|  | TL | Tail Length |
|  | HL | Head Length (from end of snout to angle of jaw) |
|  | HW | Head Width (at the widest point of head) |
|  | HH | Head Height |
|  | SL | Snout Length (from tip of snout to anterior corner of eye) |
|  | LF | Length of eye (from anterior corner to posterior corner of eye) |
|  | LA | Length of arm (Right) |
|  | LFL | Length of forelimb (Right) |
|  | LFH | Length of hindlimb (Right) |
|  | LHF | Length between hindlimb and forelimb (Right) |
| 会 | NSL | Number of supralabials (Right) |
|  | NIL | Number of infralabials (Right) |
|  | NDSB | Number of dorsal scales around body |
|  | NMC | Number of scales from mental to anterior edge of cloaca |



Figure 4. Head shape and types of head scales in members of the species group tridactylus. A-B:
Ophiomorus maranjabensis; C-D: Ophiomorus streeti; E-F: Ophiomorus tridactylus.


Figure 5. Head shape and types of head scales in members of the species group brevipes. A-B: Ophiomorus blanfordii; C-D: Ophiomorus brevipes; E-F: Ophiomorus nuchalis.

## Dorsal



Figure 6. Head shape and types of head scales in Ophiomorus persicus.

## Scalation

The number of NSL and NIL scales is less in the Ophiomorus cf. nuchalis population than in the Ophiomorus nuchalis. There is an absent frontoparietal scale in the Ophiomorus maramjabensis, causing the frontal scale to be V-shaped (Fig. 4). In studies of the shape of the head scales, it was determined that the form of the parietals scale is differentiated between Ophiomorus nuchalis and Ophiomorus brevipes from species group's Brevipes and the population of Ophiomorus brevipes is semicircular, and all members of the Ophiomorus nuchalis population are rectangular (Fig. 5). Also, Ophiomorus blanfordii has a pretemporal scale compared to other members of the brevipes species group. The head shape of Ophiomorus persicus was smaller compared with the two other species groups (tridactylus: $O$. maranjabensis, O. streeti, and O. tridactylus; brevipes: O. blanfordii, O. brevipes, and O. nuchalis) (Fig. $6)$.

## NORMALITY TEST

All characters have been examined for normality and distributed normally. Descriptive statistics of characters for each species and OTU are presented in Table 3. According to the descriptive statistics and ANOVA, the following characters were significantly differentiated between all species of the genus Ophiomorus: SVL, HL, HW, HH, SL, LF, LA, LFL, LFH, LHF, NSL, NIL, NDSB, and NMC ( $P$ <0.05) (Table 3). Based on the ANOVA, TL did not show a significant difference among species (Table 3). The meristic characters show zero variance at least between two OTU and then, we cannot use them in the PCA. In Principal Component Analysis (PCA) we used only the metric characters and the first three components explain $81.16 \%$ of the total variation.

Table 3．The mean，standard deviation，and range of 15 metric and meristic characters measured for Ophiomorus species on the entire distribution range in the Iranian Plateau．

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TABLE 4. Factor loading of the first three principal components (PCs) from a correlation matrix of ten characters for the Ophiomorus populations used in this study.

| Character | PC1 | PC2 | PC3 |
| :--- | :---: | :---: | :---: |
| SVL | .885 | .294 | -.210 |
| HL | .734 | .198 | .590 |
| HW | .866 | -.140 | -.184 |
| HH | .745 | .020 | -.216 |
| SL | .521 | .095 | .832 |
| LF | .724 | .002 | .003 |
| LA | -.029 | .876 | -.261 |
| LFL | .642 | -.524 | -.261 |
| LFH | -.332 | .876 | .020 |
| LHF | .853 | .355 | -.231 |
| Eigenvalue | 4.673 | 2.089 | 1.354 |
| Accumulated | 46.732 | 67.625 | 81.161 |

TABLE 5. Factor loadings of the first three canonical variates of metric characters in the studied species of the genus Ophiomorus in Iran.

| Character | CVA |  |  |
| :---: | :---: | :---: | :---: |
|  | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ |
| SVL | .586 | 1.452 | .870 |
| HL | -.118 | -.211 | -.211 |
| HW | .221 | .359 | .272 |
| HH | -.271 | .266 | -.172 |
| SL | .259 | -.024 | .259 |
| LF | .546 | -.819 | -.078 |
| LA | .367 | .716 | .149 |
| LFL | .453 | .559 | -.474 |
| LFH | .643 | -.024 | -.315 |
| LHF | -1.140 | -1.627 | .197 |
| Eigenvalue | 18.287 | 5.458 | 1.019 |
| Cumulative | 71.6 | 93.0 | 97.0 |
| percent |  |  |  |

Of this value, $46.73 \%$ was explained by PC1, in which SVL, HW, and LHF have the most weight; $67.62 \%$ was explained by PC2, which is mainly attributed to LA and LFH; and $13.53 \%$ was explained by PC3, which is mainly attributed to HL and SL (Table 4 and Fig. 7). Discriminant Function Analyses (DFA) has been done to provide more accurate discrimination between all species. The CVA between all species is highly significant, and the first component explained $97 \%$ of all variance (Table 5). Based on the CVA chart, species having four fingers in their forelimbs are separated from species having three fingers in their fore and hindlimb and finally, these species groups get differentiated completely from Ophiomorus persicus (Fig. 8). Based on table 6 and Appendix 1, metric characters that have shown the most differences between species have been determined. The results of all parametric tests of OTUs
based on all significant characters are presented in table 6 and Appendix 1. Furthermore, all morphological characters were measured on all specimens and are presented in Appendix 2. Ophiomorus persicus is the only extant representative of the punctatissimus group, which has shown the most morphological differences with the members of the tridactylus group. Therefore, O. persicus with 11 morphological characters has the most differences with $O$. streeti, nine morphological differences with $O$. tridactylus, and seven morphological differences with $O$. maranjabensis. These members of the tridactylus group have three fingers in both the forelimb and hindlimb (Table 6). Ophiomorus persicus has also shown a significant morphological difference with the members of the brevipes group, which have four fingers in the front limb, including the most differences with $O$. bervipes, $O$. nuchalis species in seven, and $O$. blanfordii, $O$. cf. nuchalis in six morphological characters (Appendix 1).

## DISSCUSSION

Iran has a diversity of ecosystems from mountainous to plains, deserts, and forests, so the diversity of ecosystems in Iran has played a crucial role in the diversification of reptiles (Anderson, 1999). The Zagros Mountain in the west of Iran has caused changes in the shape of the center of the Iranian plateau. These changes have affected the isolation of the population and the process of speciation of reptiles in the plateau of Iran (Rajabizadeh, 2013). In the central plateau of Iran, lizards of the genus Ophiomorus have ecologically and morphologically diverse radiation that has successfully inhabited most of the terrestrial arid ecosystems. In the genus Ophiomorus, a line of specialization adapted to life in the wind-blown sand and consequently, the other one line of specialization resulted in the legless western species ( $O$. kardesi, O. latastii, O. persicus, and $O$. punctatissimus) occupying an upland, under-rock habitat. Within living organisms, the relationship between morphological characters and functional capabilities has been studied


Figure 7. The PCA plot of inter-specific variation based on metric characters within the genus Ophiomorus in the Iranian Plateau.


Figure 8. Ordination of the individuals of all species of the genus Ophiomorus in the Iranian Plateau on the first two canonical variates of metric characters.
by many researchers (Tulli et al., 2010). Accordingly, many studies on a range of animals have shown that morphology correlates to the type of habitat. (e.g. mammals: Norberg, 1994; birds: Collins \& Paton, 1989; Miles \& Ricklefs, 1987; fish: Douglas, 1987; McDowall, 1998; and reptiles: Moermond, 1979; Williams, 1983; Pounds, 1988; Losos \& Sinervo, 1989; Losos, 1990). Scincid lizards probably constitute the most remarkable lizards to illustrate the high frequency of convergent limb loss (Miralles et al., 2012). Within this family, full limblessness as the complete absence of any external limbs is well observed in two genera, Ophiomorus and Chalcides. (Poulakakis et al. 2008; Brandley et al. 2008; Miralles et al., 2012). In Ophiomorus species, limbs can vary from slightly-developed to absent, trunks from short and stout to long and thin, and tails from long to short. The Ophiomorus persicus, have forelimbs that are much less reduced than the hindlimbs (Reduced in size or in number of fingers). In contrast, four other species of Ophiomorus ( $O$. maranjabensis, $O$. raithmai, $O$. streeti, and $O$. tridactylus) have an equal number of fingers in the forelimbs and hindlimbs. Eventually, three species of Ophiomorus (O. kardesi, O. latastii, and $O$. punctatissimus) lack forelimbs and hindlimbs. Anderson and Leviton (1966) devided Ophiomorus in three groups include brevipes, punctatissimus, and tridactylus in terms of the tendency to degeneration of motor organs (especially fingers). In another grouping, Anderson (1999) states that the members of the Ophiomorus are classified into western and eastern groups based on habitat selection and morphology, respectively. Recent studies on geometric morphometrics showed that changes in the shape of the head scales in Iran's Ophiomorus species emphasized the division based on habitat selection and morphology (Nabizadeh et al., 2022). However, we have examined 71 specimens from throughout the range of distribution in the central plateau of Iran and have found that morphological differentiation among three groups' brevipes, tridactylus, and punctatissimus is distinctive. The results of our morphometric study showed that the Iranian Ophiomorus species emphasize division based on their tendency to limb reduction (especially fingers). Accordingly, ANOVA results showed that fourteen morphological characters (SVL, HL, HW, HH, SL, LF, LA, LFL, LFH, LHF, NSL, NDSB, NMC, and NIL; ten metric and four meristic) were significantly different between all Ophiomorus species.

TABLE 6. The results of all parametric tests of the OTUs based on all significant characters.

|  | O. tridactylus | O. streeti | O. persicus | O. cf. nuchalis | O. nuchalis | O. maranjabensis | O. brevipes |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | NSL- LFL/SVL | LF/SVL | HW/HL-HH/HL-LF/SVL-LA/SVL-LHF/SVLLFL/SVL | *********** | NSL- NIL | NIL- NMC- <br> TL/SVL- LA/SVL- <br> LFL/SVL- LHF/SVL | $\begin{aligned} & \text { NSL- NIL- } \\ & \text { HH/HL } \end{aligned}$ |
| O. brevipes | NIL- NDSB-NMC- TL/SVL-HW/HL-HH/HLLFL/SVL | $\begin{gathered} \text { NIL- } \\ \text { NMC- } \\ \text { TL/SVL- } \\ \text { HW/HL- } \\ \text { HH/HL- } \\ \text { LA/SVL- } \\ \text { LF/SVL } \end{gathered}$ | NDSB- <br> NMC- <br> SL/HL- <br> LF/SVL- <br> LA/SVL- <br> LFL/SVL- <br> LHF/SVL | $\begin{aligned} & \text { NSL- NIL- } \\ & \text { HH/HL } \end{aligned}$ | HW/HLSL/HL | NMC- TL/SVL- <br> HW/HL- HH/HL- <br> LA/SVL- LFL/SVL- <br> LHF/SVL |  |
|  | NIL- NDSB- <br> HH/HL- <br> LA/SVL- <br> LHF/SVL | NIL- <br> NMC- <br> TL/SVL- <br> HH/HL- <br> LF/SVL- <br> LHF/SVL | NSL- <br> NDSB- <br> TL/SVL- <br> HW/HL- <br> HH/HL- <br> SL/HL- <br> LF/SVL | NIL- TL/SVL- <br> LA/SVL- <br> LFL/SVL- <br> LHF/SVL | NIL- NMC-TL/SVL-HH/HL-LA/SVLLFL/SVL |  |  |
|  | NSL- NDSB-NMC- TL/SVL-LA/SVLLFL/SVL | $\begin{gathered} \text { NIL- } \\ \text { NMC- } \\ \text { LF/SVL- } \\ \text { LHF/SVL } \end{gathered}$ | NDSB- <br> HW/HL- <br> HH/HL- <br> SL/HL- <br> LF/SVL- <br> LA/SVL- <br> LFL/SVL | NSL- NIL |  |  |  |
|  | NSL-NDSB-NMC- TL/SVL-LA/SVLLFL/SVL | $\begin{aligned} & \text { NSL- } \\ & \text { NDSB- } \\ & \text { NMC- } \\ & \text { LA/SVL } \end{aligned}$ | NDSB- <br> HW/HL- <br> HH/HL- <br> LF/SVL- <br> LA/SVL- <br> LHF/SVL |  |  |  |  |
| $\begin{gathered} \text { n } \\ \text { U } \\ \text { di } \\ 0 \\ 0 \end{gathered}$ | NSL- NIL- <br> TL/SVL- <br> HW/HL-HH/HL-SL/HL-LF/SVL- <br> LA/SVL- <br> LHF/SVL | NSL- NIL- <br> NMC- <br> TL/SVL- <br> HW/HL- <br> HH/HL- <br> SL/HL- <br> LF/SVL- <br> LA/SVL- <br> LFL/SVL- <br> LHF/SVL |  |  |  |  |  |
| $\begin{aligned} & \text { it } \\ & \stackrel{y}{2} \\ & \stackrel{y}{n} \\ & 0 \end{aligned}$ | TL/SVL- <br> LFL/SVL- <br> LHF/SVL |  |  |  |  |  |  |

The results of PCA and CVA in this study approve this claim to a large extent. Ophiomorus persicus is the only extant representative of the punctatissimus group, which has shown the most morphological differences with the members of the tridactylus group. Also, we found that morphological differentiation between members of the two groups' brevipes, and tridactylus is distinctive. Based on Tables 4 and 5, the distribution of different species of Ophiomorus in Figs 7 and 8 shows that $O$. persicus from punctatissimus group is completely separated from the brevipes and tridactylus in the CV1 graph. This separation is based on the characters of the distance between LHF, LFH, and SVL. But, the members
of the brevipes group in the CV2, in one complex, are separated from the members of the tridactylus group, and this separation, which is the most effective factor between these groups, is based on the SVL, LHF, LF, and LA (Table 4-5). In conclusion, it can be said that this separation is based on choosing different habitats, as the habitat of $O$. presicus is completely separated and differentiated from other two groups. According to our results, species including O. streeti, O. maranjabensis, and O. tridactylus observed in sand habitats in which there are sand dunes, furthermore, this sand habitat is adaptive for their distribution, feeding, and procreation, and also, they never leave sand habitat naturally. But species like O. blanfordii, O. brevipes, $O$. nuchalis, and also Ophiomorus cf. nuchalis observed in habitats with steppe soils along with sandy microhabitates where they look for food, procreate, and shuttle between sand microclimates. But being diggers and Cryptozoic, they do feed in this microclimate. It is worth mentioning that the habitat of $O$. persicus is completely different from the members of the two other groups. They have distribution in the stony and rocky lands and spend their daytime under stones and holes. Choosing these habitats also has changed the shape of the head scales. According to the results of the morphological geometric done on the heads of all species existing on the Central Plateau of Iran, it is shown that members of the tridactylus group prefer sandy habitat with sand dunes. They have a bigger and triangular head shape, and the rostral (snout acutely cuneiform, with a sharp angular labial edge) is sharper to be able to burrow the sand easier and quicker (Fig. 5). Supraoculars also level with the eyes, which makes the head more triangular. But, the members of the brevipes group prefer habitats with steppe soils along with sandy microclimates making supraoculars more popped out than eyes, making supraoculars and eyes non-level (The supraoculars resemble the brim of a hat for the eyes) (Fig. 6). Consequently, the head compared to the prior group is slightly triangular to conical and rostral is also slightly conical (Fig. 6). Since, O. persicus distributed on the foothills (the transition zone between plains and low-relief hills), alluvial fans, and under stones, it leads to a completely conical head (snout acutely rounded, the rostral scarcely projecting beyond the lip) and rostral round (Fig. 7). According to Greer and Wilson (2001) and our morphological study on the head scale of Ophiomorus species in the current study, it is determined that 12 species except the O. maranjabensis species have a frontoparietal scale (Fig 5-67). It is worth mentioning that Kazemi et al (2011) have not mentioned this significant trait for this species in identification keys, but having frontoparietal, is a key trait to determine this species from other Ophiomorus. Given the morphological differences between the three species groups of Ophiomorus and according to the history of their description, we assigned these three species groups for all species of Ophiomorus in Iran. Finally, we suggest three species groups based on the tendency to limb reduction (especially fingers) and habitat preferences, which are explained as follow:

## brevipes: O. blanfordii, O. brevipes, O. chernovi, O. nuchalis

Based on morphological compatibility with the type of steppe soil habitat with sand microhabitat, they have strong bodies compared to the two other groups, and based on four fingers on the forelimb and three on the hindlimb, they are able to move on steppe soil and burrow in sand microclimate.

## tridactylus: O. maranjabensis, O. raitmai, O. streeti, O. tridactylus

The members of this group have their special morphological compatibility based on burrowing life and are extremely dependent on their own habitat. So, head and body shape are changed according to the sand habitat. Their specifications include a complete triangular head, wedge-shaped snouts, extremely smooth imbricate scales, and overlap. The members of this group never leave sand dunes and they are adapted to living in loose windblown dune sand, moving through this medium with strong lateral undulations.

## punctatissimus: O. kardesi, O. latastii, O. persicus, O. punctatissimus

The members of this group have an extreme tendency to the reduction of hindlimbs or have no limbs. They have elongated cylindrical bodies, the head completely conical, and the snout acutely rounded. They are adapted to inhabit under stones and steppe ground with loose soil.

Finally, we suggest the following updated identification key for Ophiomorus species present in Iran:

## Key to the species of Ophiomorus in Iran

1A. Fingers 4, toes 3 .2
1B. Fingers 3, toes 2 or 3........................................................................................................................ 5
2A. Scale rows 20 at midbody, 1 pretemporral scales..............................Ophiomorus blanfordii
2B. Scale rows 22 or more at midbody, 2 pretemporral scales............................................. 3
3A. Scale rows 22.................................................................................................................................. 4




5B. Fingers 3, toes 3 .. 6

6B. Frontoparietals present
Ophiomorus maranjabensis
7A. Prefrontals not in contact with upper labials Ophiomorus streeti
7B. Prefrontals in contact with upper labials Ophiomorus tridactylus

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## APPENDIX

Appendix 1: Results of all parametric tests in numerical form for all the OTUs.

|  | O. blanfordii | $\begin{gathered} \text { O. } \\ \text { brevipes } \end{gathered}$ | O. maranjabensis | $\begin{gathered} \hline \text { O. } \\ \text { nuchalis } \end{gathered}$ | O. cf. nuchalis | $\begin{gathered} O . \\ \text { persicus } \end{gathered}$ | $\begin{gathered} O . \\ \text { streeti } \end{gathered}$ | O. tridactylus |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| O. blanfordii | * | 3 | 6 | 2 | 0 | 6 | 1 | 2 |
| O. brevipes | 3 | * | 7 | 2 | 4 | 7 | 7 | 7 |
| O. maranjabensis | 6 | 7 | * | 6 | 5 | 7 | 6 | 5 |
| O. nuchalis | 2 | 2 | 6 | * | 2 | 7 | 4 | 6 |
| O. cf. nuchalis | 0 | 3 | 5 | 2 | * | 6 | 4 | 6 |
| O. persicus | 6 | 7 | 7 | 7 | 6 | * | 11 | 9 |
| O. streeti | 1 | 7 | 6 | 4 | 2 | 11 | * | 3 |
| O. tridactylus | 2 | 7 | 5 | 6 | 6 | 9 | 3 | * |

Appendix 2：All measurements of Ophiomorus specimens were collected from Iran（metric characters were measured in mm ）．

| $\sum_{\sum}^{U}$ | $\stackrel{\square}{7}$ | 악 | $\cdots$ | $\stackrel{\square}{7}$ | $\underset{7}{\text { J }}$ | $\underset{7}{7}$ | $\stackrel{n}{7}$ | $\stackrel{\text { I }}{7}$ | $\stackrel{n}{7}$ | $\underset{\sim}{\text { ̇ }}$ | $\stackrel{7}{7}$ | $\stackrel{m}{7}$ | $\overrightarrow{7}$ | $\stackrel{\infty}{7}$ | $\stackrel{\sim}{\sim}$ | $\underset{\sim}{\sim}$ | $\stackrel{\sim}{7}$ | ～ิ | $\underset{\sim}{\sim}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \text { ñ } \\ & \text { ¿̂ } \end{aligned}$ | $\stackrel{\sim}{\sim}$ | $\stackrel{1}{2}$ | $\stackrel{\sim}{\sim}$ | $\underset{\sim}{ }$ | N | N | N | ～ | ～ | N | ～ | N | N | N | ～ | ̇ | N | N | N |
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| $\stackrel{\rightharpoonup}{z}$ | $\bullet$ | $\bullet$ | $\wedge$ | $\wedge$ | $\wedge$ | $\wedge$ | $\wedge$ | $\wedge$ | $\wedge$ | $\wedge$ | $\wedge$ | $\wedge$ | $\wedge$ | $\wedge$ | ๓ | $\bigcirc$ | $\bigcirc$ | $\bullet$ | $\bigcirc$ |
| 堊 | $\begin{aligned} & \text { Nì } \\ & \text { in } \end{aligned}$ | \＆ | $\begin{aligned} & \underset{\text { © }}{\sim} \end{aligned}$ | $\begin{aligned} & \text { O } \\ & \text { in } \end{aligned}$ | $\underset{\substack{n}}{n}$ | $\stackrel{\text { n}}{i}$ | $\begin{aligned} & \text { n} \\ & \stackrel{y}{6} \end{aligned}$ | $\stackrel{\infty}{\underset{\sim}{c}}$ | $\begin{aligned} & \text { ٌo } \\ & \underset{\sim}{n} \end{aligned}$ | $\begin{gathered} \underset{O}{N} \end{gathered}$ | $\begin{aligned} & \vec{\infty} \\ & \stackrel{0}{0} \end{aligned}$ | $\begin{aligned} & \infty \\ & 0 \\ & 0 \end{aligned}$ | $\underset{\text { ت}}{\overrightarrow{7}}$ | ষ | $\begin{aligned} & \text { ò } \\ & 0 \end{aligned}$ |  | $\stackrel{\sim}{\tilde{\omega}}$ | $\begin{aligned} & 0 \\ & \underset{0}{1} \end{aligned}$ | $\begin{aligned} & \stackrel{\rightharpoonup}{0} \\ & \stackrel{0}{2} \end{aligned}$ |
| 出 | $\begin{aligned} & \infty \\ & \underset{\sim}{\infty} \end{aligned}$ | $\begin{aligned} & \underset{\sim}{\text { g }} \end{aligned}$ | $\begin{aligned} & \underset{\sim}{\dot{\sim}} \\ & \hline \end{aligned}$ | $\begin{aligned} & \underset{\sim}{\Perp} \\ & \underset{\sim}{n} \end{aligned}$ | $\underset{\sim}{\underset{\sim}{n}}$ | $\begin{aligned} & \underset{\sim}{N} \\ & \underset{\sim}{2} \end{aligned}$ | $\stackrel{\rightharpoonup}{\underset{\sim}{7}}$ | $\begin{aligned} & \stackrel{\rightharpoonup}{\infty} \\ & \underset{\sim}{1} \end{aligned}$ | $\stackrel{\underset{\sim}{\sim}}{\underset{\sim}{n}}$ | $\begin{aligned} & \underset{\sim}{\mathcal{Z}} \end{aligned}$ | $\underset{\sim}{\underset{\sim}{c}} \underset{\sim}{\underset{~}{2}}$ | $\begin{aligned} & \underset{\sim}{\sim} \\ & \hline \end{aligned}$ | $\begin{aligned} & \underset{\sim}{\mathcal{J}} \\ & \underset{\sim}{2} \end{aligned}$ | $\begin{aligned} & \stackrel{\text { O}}{i} \\ & \underset{\sim}{n} \end{aligned}$ | $\begin{aligned} & \underset{\sim}{\underset{J}{J}} \end{aligned}$ | ＾ |  | $\underset{\underset{\sim}{\underset{~}{J}}}{\underset{\sim}{2}}$ | $\begin{aligned} & \text { J } \\ & \underset{\sim}{\prime} \end{aligned}$ |
| 出 | $\stackrel{n}{\stackrel{n}{\gtrless}}$ | $\underset{\text { Nु }}{\substack{~}}$ | $\underset{\sim}{N}$ | $\stackrel{\sim}{\sim}$ | $\stackrel{\infty}{\wedge}$ | $\stackrel{\infty}{\stackrel{\infty}{\uparrow}}$ | $\underset{\sim}{\text { N̈ }}$ | $\underset{\infty}{\stackrel{\rightharpoonup}{\infty}}$ | $\stackrel{\underset{\sim}{\mathrm{N}}}{ }$ | $\underset{\infty}{\infty}$ | $\underset{\infty}{\text { }}$ | $\stackrel{\wedge}{\lambda}$ | $\underset{\infty}{\hat{o}}$ | $\stackrel{\circ}{\circ}$ | $\underset{\sim}{n}$ | $\stackrel{\bigcirc}{+}$ | $\underset{\sim}{\sim}$ | $\stackrel{\underset{i n}{\prime}}{ }$ | － |
| s | $\stackrel{0}{\mathrm{i}}$ | $\stackrel{\infty}{i}$ | $\underset{\sim}{\underset{\sim}{j}}$ | $\stackrel{\sim}{\sim}$ | $\stackrel{\sim}{n}$ | $\stackrel{\sim}{\sim}$ | $\underset{\sim}{\sim}$ | $\stackrel{\circ}{\dot{m}}$ | $\underset{\sim}{\infty}$ | $\stackrel{\circ}{\mathrm{m}}$ | $\stackrel{9}{9}$ | $\underset{\sim}{\sim}$ | $\underset{\sim}{7}$ |  | $\underset{\sim}{\underset{\sim}{i}}$ | $\stackrel{\otimes}{+}$ | $\stackrel{\sim}{\mathrm{i}}$ | $\stackrel{\sim}{N}$ | O |
| 出 | $\underset{\substack{\text { G } \\ \hline}}{ }$ | $\stackrel{\sim}{\sim}$ | $\stackrel{m}{i n}$ | $\stackrel{\infty}{\stackrel{\infty}{\dot{\sigma}}}$ | $\underset{\sim}{\text { ni }}$ | $\bullet$ | $\stackrel{0}{i}$ | คٌ | $\stackrel{\tilde{\sim}}{\underset{\sim}{n}}$ | $\stackrel{\infty}{\bullet}$ | ત̃ | $\underset{\sim}{n}$ | ஸ̂ | $\stackrel{\text { ® }}{ }$ | $\underset{\sim}{\underset{子}{*}}$ | $\stackrel{\text { ¢ }}{+}$ | $\stackrel{\sim}{\sim}$ | $\stackrel{\infty}{\infty}$ | N |
| $\stackrel{\rightharpoonup}{\text { a }}$ | $\stackrel{\bullet}{\odot}$ | $\underset{\sim}{\sim}$ | $\underset{\dot{\gamma}}{\underset{\sim}{2}}$ | $\underset{\sim}{\sim}$ | $\underset{\sim}{\underset{\gamma}{2}}$ | $\underset{\sim}{\underset{\sim}{7}}$ | $\stackrel{N}{\sim}$ | $\stackrel{\sim n}{\sim}$ | $\stackrel{\hat{7}}{ }$ | $\stackrel{\ominus}{+}$ | $\underset{\sim}{\underset{\sim}{\sim}}$ | $\underset{\underset{子}{J}}{\underset{\sim}{2}}$ | $\stackrel{\infty}{\dot{f}}$ | $\underset{\sim}{\underset{\sim}{f}}$ | $\stackrel{ণ}{\dot{\sigma}}$ | $\stackrel{8}{8}$ | $\underset{\text { J }}{\text { J }}$ | $\stackrel{\text { ® }}{\substack{\text { ¢ }}}$ | $\stackrel{7}{7}$ |
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| 否 | $\begin{aligned} & \hat{O} \\ & \underset{\sim}{\dot{A}} \end{aligned}$ | $\begin{aligned} & \text { I } \\ & \text { in } \end{aligned}$ | $\begin{aligned} & n \\ & \underset{\sim}{n} \end{aligned}$ | $\stackrel{M}{\eta}$ | $\begin{aligned} & \underset{\sim}{7} \end{aligned}$ | $\underset{\substack{\text { ®ה } \\ \hline}}{ }$ | $\underset{\sim}{\text { ®ợ }}$ | $\begin{aligned} & \underset{\sim}{\oplus} \\ & \underset{\sim}{0} \end{aligned}$ | $\underset{\sim}{n}$ | $\underset{\sim}{\infty}$ | $\begin{aligned} & \stackrel{0}{\oplus} \\ & \stackrel{\ominus}{n} \end{aligned}$ | Ne | $\underset{\sim}{\underset{\sim}{\mathrm{N}}}$ | $\stackrel{\underset{\sim}{7}}{\underset{\sim}{\prime}}$ | ヘ่̃ | $\begin{aligned} & \stackrel{\infty}{\sim} \\ & \underset{\sim}{\top} \end{aligned}$ | $\stackrel{\sim}{\sim}$ | $\underset{\sim}{\sim}$ | $\stackrel{\infty}{\infty}$ |
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| 포 | $\stackrel{9}{2}$ | $\stackrel{\hat{N}}{\underset{\sim}{2}}$ | $\underset{\sim}{\underset{\sim}{n}}$ | $\stackrel{\sim}{n}$ | $\underset{\sim}{\infty}$ | $\stackrel{\text { ¢ }}{\text { ¢ }}$ | $\stackrel{9}{n}$ | $\underset{\sim}{\sim}$ | $\underset{\substack{\text { ¢ }}}{+}$ | $\stackrel{\hat{\sigma}}{\dot{\sigma}}$ |  | $\stackrel{\bullet}{\stackrel{\infty}{\mp}}$ | $\stackrel{\infty}{\infty}$ | $\stackrel{\rightharpoonup}{m}$ | $\underset{\sim}{\sim}$ | $\stackrel{ \pm}{\text {＋}}$ | $\stackrel{\infty}{\infty}$ | $\stackrel{\sim}{N}$ | $\stackrel{\square}{\sim}$ |
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| 보 | $\begin{gathered} 0 \\ \infty \\ \infty \end{gathered}$ | $\stackrel{\infty}{\infty}$ | $\stackrel{\text { ণ}}{\text { ® }}$ | $\underset{\dot{\omega}}{\stackrel{N}{0}}$ | $\stackrel{\ddagger}{\infty}$ | $\underset{\infty}{\stackrel{\rightharpoonup}{\infty}}$ | $\underset{\substack{\underset{\sim}{\infty} \\ \hline}}{ }$ | $\stackrel{\stackrel{\rightharpoonup}{\circ}}{\substack{\infty}}$ | $\underset{\infty}{\underset{\infty}{N}}$ | $\infty$ | $\stackrel{\sim}{n}$ | $\stackrel{\sim}{\sim}$ | $\underset{\infty}{\infty}$ | $\stackrel{\bigcirc}{\circ}$ | $\stackrel{\text { ® }}{\stackrel{\text { ® }}{\sim}}$ | $\stackrel{\infty}{\sim}$ | $\stackrel{\square}{+}$ | $\underset{\sim}{\text { ¢ }}$ | $\stackrel{\bigcirc}{\underset{\sim}{8}}$ |
| $\ldots$ | $\begin{aligned} & \text { Ni } \\ & \text { Nin } \end{aligned}$ | $\begin{aligned} & \tilde{N} \\ & \underset{\sim}{n} \end{aligned}$ | $\stackrel{\stackrel{\rightharpoonup}{\mathrm{N}}}{ }$ | $\begin{gathered} \infty \\ \underset{\sim}{\infty} \\ \end{gathered}$ | $\begin{aligned} & \text { Ni } \\ & \text { in } \end{aligned}$ | $\underset{\sim}{\underset{\infty}{2}}$ | $\begin{gathered} \hat{m} \\ \underset{i}{n} \end{gathered}$ | $\begin{gathered} \text { ä } \\ \text { gi } \end{gathered}$ | $\begin{aligned} & \infty \\ & \text { فَ } \end{aligned}$ | $\underset{\sim}{\sim}$ | $\underset{\underset{N}{N}}{N}$ | $\stackrel{\underset{\infty}{\infty}}{\stackrel{1}{+}}$ | 尔 | $\stackrel{n}{\stackrel{n}{\infty}}$ |  | $\hat{\infty}$ | $\stackrel{\infty}{\underset{\sim}{\sim}}$ | N | $\stackrel{\sim}{\sim}$ |
| $\stackrel{3}{3}$ | $\begin{aligned} & \stackrel{N}{\infty} \\ & \dot{\infty} \end{aligned}$ | $\begin{aligned} & \underset{\sim}{\infty} \\ & \stackrel{\rightharpoonup}{\circ} \end{aligned}$ | $\underset{\sim}{\underset{\infty}{n}}$ | $\stackrel{\circ}{\underset{\sim}{\aleph}}$ | $\begin{aligned} & \text { ơ } \\ & \stackrel{\text { ® }}{ } \end{aligned}$ |  | $\stackrel{\vec{m}}{\infty}$ | $\begin{aligned} & \stackrel{0}{6} \\ & \stackrel{\circ}{6} \end{aligned}$ | $\begin{aligned} & \text { N } \\ & \text { in } \end{aligned}$ | $\underset{\infty}{\substack{\infty \\ \hline}}$ | $\begin{aligned} & \text { Nै } \\ & \text { © } \end{aligned}$ | $\stackrel{\underset{\infty}{\underset{\infty}{\infty}}}{\substack{2}}$ | ふૂં | t | $\begin{gathered} \infty \\ \underset{\infty}{\infty} \end{gathered}$ | $\infty$ |  | $\stackrel{\underset{\sim}{\mathrm{N}}}{\substack{\text { in }}}$ | $\stackrel{\infty}{\infty}$ |
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| 茥 | $\begin{aligned} & \hat{\infty} \\ & \underset{i}{i} \end{aligned}$ | $\begin{aligned} & \text { せ } \\ & \stackrel{\text { ® }}{2} \end{aligned}$ | $\stackrel{\text { n }}{\stackrel{n}{\kappa}}$ | $\underset{\sim}{\underset{\sim}{i}}$ | $\stackrel{\infty}{\mathrm{m}}$ | $\stackrel{\leftrightarrow}{\circ}$ | $\begin{aligned} & \text { Hen } \\ & \text { Hin } \end{aligned}$ | $\underset{\substack{\infty \\ \underset{\sim}{n}}}{\substack{\text { n }}}$ | تু | $\begin{aligned} & \text { No } \\ & \text { in } \end{aligned}$ | $\underset{\substack{\hat{m} \\ \underset{y y y}{c} \\ \hline}}{ }$ | $\begin{aligned} & \hat{\infty} \\ & \underset{i}{n} \end{aligned}$ | $\begin{aligned} & \text { Nin } \\ & \text { in } \end{aligned}$ | $\begin{aligned} & \text { そ̛ } \\ & \text { in } \end{aligned}$ | $\stackrel{-}{i}$ | $\begin{aligned} & 7 \\ & i \\ & i \end{aligned}$ | $\stackrel{\sim}{i}$ | $\begin{aligned} & \underset{\sim}{6} \\ & \end{aligned}$ | $\stackrel{\underset{\sim}{7}}{\underset{\sim}{2}}$ |
| 퐆 | $\stackrel{+}{\text { ¢ }}$ | $\begin{aligned} & \stackrel{\sim}{\sim} \\ & \underset{\sim}{n} \end{aligned}$ | 7 | $\begin{aligned} & \text { + } \\ & \stackrel{\text { O}}{1} \end{aligned}$ | ت̇ ت － | $\underset{\underset{\sim}{\mathrm{N}}}{\stackrel{\rightharpoonup}{2}}$ | No | $\begin{aligned} & \infty \\ & \underset{\sim}{7} \end{aligned}$ | $\begin{aligned} & \infty \\ & \underset{\sim}{\infty} \end{aligned}$ | $\underset{\text { Ni }}{\substack{\text { n }}}$ | $\underset{\sim}{\underset{\sim}{\mathrm{N}}}$ | $\stackrel{\underset{\sim}{\mathrm{N}}}{\substack{2}}$ | $\begin{aligned} & \underset{\sim}{\dot{\sim}} \\ & \underset{\sim}{2} \end{aligned}$ | $\begin{aligned} & \circ \\ & \underset{\sim}{\prime} \end{aligned}$ | $\begin{aligned} & \text { Ǹ } \\ & \underset{\sim}{n} \end{aligned}$ | $\begin{aligned} & \text { N} \\ & \underset{\sim}{j} \end{aligned}$ | $\begin{aligned} & \stackrel{0}{\square} \\ & \underset{\sim}{\prime} \end{aligned}$ | $\begin{aligned} & 0 \\ & \underset{\sim}{4} \end{aligned}$ | $\stackrel{\text { ¢ }}{\text { ¢ }}$ |
| 出 | $\stackrel{\infty}{\infty}$ |  | $\hat{\text { in }}$ | $\overrightarrow{~ H}$ | ָ̈ | $\stackrel{\infty}{\underset{\sim}{i}}$ | $\stackrel{\infty}{\circ}$ | $\stackrel{\text { m }}{\substack{n}}$ | $\underset{\text { in }}{\overrightarrow{~ i n}}$ | $\stackrel{\text { in }}{\text { in }}$ | $\underset{\substack{0}}{\underset{\sim}{2}}$ | $\underset{\text { ה }}{\underset{\text { ה }}{2}}$ | O |  | $\stackrel{O}{\circ}$ | $\underset{\sim}{7}$ | $\underset{o}{0}$ | $\stackrel{\infty}{\sim}$ | $\underset{\substack{\text { N }}}{ }$ |
| $\leq$ | $\stackrel{\substack{\text { m }}}{\substack{\text { a }}}$ | $\stackrel{\sim}{\circ}$ | $\stackrel{\infty}{i}$ | $\stackrel{\infty}{\underset{\sim}{i}}$ | $\stackrel{\text { N}}{\substack{\text { r }}}$ | $\stackrel{\circ}{\circ}$ | $\stackrel{m}{\sim}$ | $\stackrel{\ominus}{\mathrm{N}}$ | $\underset{\sim}{\hat{N}}$ | $\stackrel{m}{\sim}$ | $\stackrel{\stackrel{\rightharpoonup}{\mathrm{N}}}{\mathbf{N}}$ | $\underset{\sim}{\text { n }}$ | $\underset{\sim}{\text { U }}$ | $\stackrel{\rightharpoonup}{\dot{\sim}}$ | $\underset{\sim}{\mathrm{N}}$ | $\stackrel{\sim}{\sim}$ | $\underset{\sim}{\text { n }}$ | $\stackrel{\sim}{\sim}$ | $\underset{\sim}{\text { ̇ }}$ |
|  | $\stackrel{\bigcirc}{-}$ | $\stackrel{\sim}{\text { ¢ }}$ | $\stackrel{\text { \％}}{\text { ¢ }}$ | $\stackrel{\sim}{\sim}$ |  | $\stackrel{\sim}{+}$ | ホ | Ni | $\underset{\sim}{n}$ | $\underset{寸}{\mathcal{F}}$ |  | $\underset{\sim}{N}$ | $\stackrel{\otimes}{\dot{\circ}}$ | fif |  | $\stackrel{\bullet \sim}{\sim}$ | ت̇ | ～ั่ | $\underset{\sim}{\infty}$ |
| い | $\stackrel{\text { i }}{ }$ | $\stackrel{7}{7}$ | $\stackrel{\infty}{\underset{\sim}{\circ}}$ | $\stackrel{\infty}{\sim}$ | － | $\underset{\sim}{\underset{\sim}{r}}$ | $\underset{\sim}{\underset{\sim}{r}}$ | $\stackrel{\infty}{\underset{\sim}{\circ}}$ | $\underset{\sim}{\underset{\sim}{2}}$ | $\underset{\sim}{\underset{\sim}{*}}$ | $\underset{\sim}{\sim}$ | $\stackrel{\text { 乌 }}{\substack{2}}$ | $\underset{\sim}{\circ}$ |  | $\underset{\sim}{\sim}$ | $\stackrel{\sim}{n}$ | $\stackrel{\sim}{\text { ¢ }}$ | $\stackrel{\infty}{\infty}$ | $\underset{\sim}{\text { Ṅ }}$ |
| 포 | $\stackrel{\text { Ṅ}}{\text { N }}$ | $\underset{\sim}{\text { r }}$ | $\underset{\sim}{\infty}$ | $\underset{\sim}{\sim}$ | $\stackrel{\infty}{\sim}$ | $\underset{\sim}{\mathrm{m}}$ | $\underset{\sim}{\mathbf{m}}$ | $\underset{i}{\text { ̇in }}$ | $\stackrel{\bigcirc}{\sim}$ | $\stackrel{+}{\sim}$ | $\underset{\sim}{\infty}$ | $\stackrel{\circ}{\mathrm{m}}$ | $\underset{\sim}{\mathbf{N}}$ | $\underset{\sim}{\mathbf{m}}$ | $\underset{\sim}{\sim}$ | $\underset{\sim}{\text { Ṅ }}$ | $\stackrel{\rightharpoonup}{+}$ | $\stackrel{\square}{\infty}$ | $\stackrel{\sim}{\infty}$ |
| 3 | $\stackrel{\infty}{ণ}$ | $\stackrel{\sim}{\sim}$ | $\underset{\sim}{\mathcal{F}}$ | $\widehat{\sim}$ | ＊ | $\stackrel{\ominus}{+}$ | $\underset{\sim}{\text { O }}$ | $\underset{\substack{\underset{\sim}{*} \\ \hline}}{ }$ | $\stackrel{\rightharpoonup}{i}$ |  | $\stackrel{\text { \& }}{\text { \& }}$ | $\stackrel{\cong}{\circ}$ | $\underset{\sim}{\underset{\sim}{r}}$ | $\stackrel{\underset{\sim}{\circ}}{\underset{\sim}{2}}$ | $\stackrel{\rightharpoonup}{i}$ | $\stackrel{\text { F }}{\text { F }}$ | $\stackrel{\rightharpoonup}{i}$ | $\stackrel{N}{n}$ | $\stackrel{\infty}{+}$ |
| 보 | $\stackrel{\leftrightarrow}{ণ}$ | $\stackrel{\rightharpoonup}{+}$ | $\underset{\substack{\infty}}{\infty}$ | $\underset{i}{N}$ | $\begin{aligned} & \text { H } \\ & \dot{\sim} \end{aligned}$ | نٌ | $\stackrel{\infty}{\infty}$ | $\stackrel{\bullet}{\circ}$ | $\stackrel{\infty}{\infty}$ | $\underset{\substack{N}}{ }$ | $\stackrel{\sim}{0}$ | $\stackrel{\rightharpoonup}{0}$ | $\stackrel{\sim}{N}$ | N̂ | $\underset{\substack{\mathrm{N}}}{ }$ | กั | $\stackrel{\aleph}{\sigma}$ | $\stackrel{\sim}{\text { ® }}$ | $\stackrel{\bullet}{\bullet}$ |
| $\stackrel{ }{\rightleftarrows}$ | $\begin{aligned} & \hat{\infty} \\ & \dot{\sim} \end{aligned}$ | 㮩 | $\stackrel{m}{\underset{\gamma}{x}}$ | $\stackrel{\hat{\omega}}{\substack{n}}$ |  | $\begin{aligned} & \text { ٌ } \\ & \end{aligned}$ | $\begin{aligned} & \text { ٌon } \\ & \text { in } \end{aligned}$ | $\stackrel{\text { n }}{\stackrel{\mathrm{m}}{2}}$ | $\stackrel{\text { 囚 }}{\substack{\text { - } \\ \hline}}$ | $\underset{~}{\text { 子 }}$ | $\stackrel{\infty}{\infty}$ | $\underset{\text { in }}{\underset{\sim}{7}}$ | $\begin{aligned} & \text { n } \\ & \underset{寸}{\circ} \end{aligned}$ | $\begin{aligned} & \stackrel{\circ}{\dot{\gamma}} \end{aligned}$ | $\stackrel{\rightharpoonup}{\dot{F}}$ | $\stackrel{\circ}{\stackrel{\circ}{\sim}}$ | $\stackrel{\stackrel{\sim}{\mathrm{N}}}{\underset{\sim}{2}}$ | $\begin{aligned} & \underset{\sim}{\infty} \\ & \underset{\sim}{2} \end{aligned}$ | $\underset{\sim}{\text { m }}$ |
| 灾 | $\stackrel{\hat{\rightharpoonup}}{\hat{0}}$ | $\begin{gathered} \text { ò } \\ \text { Gi } \end{gathered}$ | $\begin{aligned} & \text { ñ } \\ & \underset{\sim}{n} \end{aligned}$ |  | مٌ |  | $\begin{aligned} & \hat{+} \\ & \stackrel{i}{2} \end{aligned}$ | $\begin{aligned} & \text { ợ } \\ & \hline 0 \end{aligned}$ | $\begin{aligned} & \infty \\ & \underset{G}{\infty} \end{aligned}$ | $\begin{aligned} & 0 \\ & \infty \\ & 0 \\ & 0 \end{aligned}$ | $\underset{\sim}{\text { N® }}$ | $\underset{\substack{\text { S } \\ \hline}}{ }$ | $\begin{aligned} & \text { gion } \\ & \stackrel{i}{n} \end{aligned}$ | $\begin{aligned} & \text { nh } \\ & \end{aligned}$ | $\stackrel{\sim}{\underset{N}{N}}$ |  | $\stackrel{n}{i}$ | $\stackrel{\varrho}{\Gamma}$ | $\underset{\substack{\underset{G}{A} \\ \hline}}{ }$ |
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| $\sum_{\Sigma}^{U}$ | $\underset{7}{7}$ | $\stackrel{\bigcirc}{\square}$ | $\stackrel{-}{9}$ | ～ิ | İ | $\stackrel{\infty}{7}$ | $\stackrel{\sim}{\sim}$ | $\stackrel{\infty}{7}$ | $\stackrel{\infty}{\sim}$ | $\stackrel{\infty}{7}$ | $\stackrel{\sim}{\sim}$ | $\stackrel{\rightharpoonup}{\sim}$ | $\stackrel{\square}{7}$ | సิ |  |  |  |  |  |


| $\stackrel{\sim}{\hat{z}}$ | 9 | ～ | $\underset{\sim}{\text { I }}$ | $\underset{\sim}{\sim}$ | $\stackrel{\rightharpoonup}{\sim}$ | $\stackrel{\pi}{\sim}$ | $\stackrel{\text { N }}{ }$ | 가N | $\stackrel{\sim}{\sim}$ | $\stackrel{-}{\sim}$ | $\stackrel{\rightharpoonup}{\sim}$ | － | $\stackrel{\sim}{\sim}$ | $\stackrel{-}{\sim}$ |
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| $\bar{\Sigma}$ | $\bullet$ | ค | $\bigcirc$ | $\bullet$ | n | ๑ | ๓ | ๑ | ＾ | ๑ | ๑ | ๓ | ぃ | $\bigcirc$ |
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| 堊 | $\begin{aligned} & \text { O} \\ & \text { مٌ } \end{aligned}$ | $\begin{aligned} & \infty \\ & \stackrel{\rightharpoonup}{6} \\ & \text { ¢ } \end{aligned}$ | $\stackrel{\underset{\sim}{\circ}}{\stackrel{\rightharpoonup}{n}}$ | $$ | N1 | $\stackrel{i}{\hat{i}}$ | $\stackrel{\text { ̇̇ }}{\infty}$ | $\begin{gathered} \hat{N} \\ \underset{\sim}{\infty} \end{gathered}$ | $\underset{\sim}{\tilde{n}}$ | $\stackrel{\stackrel{\rightharpoonup}{\dot{G}}}{ }$ | $\underset{\substack{\text { to }}}{ }$ | $\stackrel{\Perp}{\infty}$ | $\begin{aligned} & \text { n } \\ & \underset{\sim}{n} \end{aligned}$ | $\stackrel{\text { İ }}{\text { ̇ }}$ |
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| 出 | ộ | $\underset{\substack{\text { G }}}{\text { an }}$ | $\stackrel{\infty}{\sim}$ | $\underset{\text { in }}{N}$ | $\underset{子}{\underset{子}{\prime}}$ | $\stackrel{\stackrel{O}{\dot{\sim}}}{ }$ | $\stackrel{\text { ñ }}{\text { in }}$ | $\stackrel{\ddots}{\dot{\sigma}}$ | $\underset{\dot{f}}{\stackrel{\rightharpoonup}{2}}$ | $\stackrel{\substack{\sim \\ \underset{\sim}{2}}}{ }$ | $\stackrel{ \pm}{+}$ | $\stackrel{N}{\substack{\text { ¢ }}}$ | กٌ | $\stackrel{\sim}{0}$ |
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| $\vec{\sim}$ | $\underset{\sim}{\underset{\sim}{\sim}}$ | $\underset{\sim}{n}$ | $\stackrel{\sim}{\sim}$ | $\underset{\sim}{\underset{\sim}{\circ}}$ | $\underset{\substack{\text { I }}}{ }$ | $\stackrel{\substack{n \\ \underset{\sim}{2}}}{ }$ | $\stackrel{\infty}{\dot{\gamma}}$ |  |  | $\underset{\sim}{i n}$ | $\underset{\underset{\sim}{X}}{\underset{~}{2}}$ | $\stackrel{\rightharpoonup}{\gamma}$ | $\underset{\sim}{\sim}$ | $\stackrel{\sim}{\sim}$ |
| 포 | $\stackrel{\text { Ni }}{\substack{2}}$ | $\stackrel{\infty}{\oplus}$ | $\stackrel{\Perp}{\circ}$ | $\stackrel{\hat{m}}{\dot{m}}$ | $\underset{\sim}{\mathrm{m}}$ | $\underset{\sim}{\infty}$ | $\underset{\sim}{N}$ | $\stackrel{\text { ¢ }}{\substack{\text { m }}}$ | $\underset{\sim}{n}$ | $\stackrel{\rightharpoonup}{\infty}$ | － | $\stackrel{\sim}{\sim}$ | $\stackrel{\rightharpoonup}{\text { ¢ }}$ | $\stackrel{0}{+}$ |
| 3 | $\stackrel{\infty}{\stackrel{\infty}{\circ}}$ | $\stackrel{0}{\bullet}$ | © |  | ٌُ | $\stackrel{\text { ín }}{\text { in }}$ | $\stackrel{N}{n}$ | $\underset{\sim}{\text { ¢ }}$ | $\stackrel{\rightharpoonup}{\infty}$ | $\stackrel{\substack{\mathrm{q}}}{ }$ | ¢ | i | N | 춘 |
| 포 | $\stackrel{\wedge}{\infty}$ | $\stackrel{\underset{\infty}{\infty}}{\substack{~}}$ | $\stackrel{\text { ț }}{\stackrel{1}{c}}$ | $\stackrel{Z}{\underset{\sim}{2}}$ | $\hat{0}$ | $\stackrel{\bullet}{\bullet}$ | $\stackrel{\rightharpoonup}{\infty}$ | $\underset{\substack{\text { U }}}{ }$ | $\underset{\sim}{N}$ | $\underset{\dot{f}}{\underset{\sim}{2}}$ | $\stackrel{\infty}{\underset{\sim}{7}}$ | $\stackrel{7}{7}$ | $\stackrel{\circ}{\sim}$ | ف̣ |
| $\digamma$ | $\begin{gathered} \underset{\sim}{\underset{\sigma}{2}} \end{gathered}$ | $\stackrel{\underset{\sim}{\infty}}{\stackrel{\sim}{\infty}}$ | 尔 | $\begin{aligned} & \text { N̂} \\ & \text { in } \end{aligned}$ |  | $\begin{aligned} & \dot{\infty} \\ & \underset{\sim}{j} \end{aligned}$ | $\underset{\sim}{\underset{\sim}{j}}$ | $\begin{aligned} & \text { N } \\ & \text { in } \\ & \hline \end{aligned}$ | $\underset{\sim}{\underset{\infty}{\underset{\sim}{2}}}$ | $\underset{\sim}{\underset{\sim}{\mathrm{m}}}$ | $\stackrel{\underset{\sim}{j}}{\stackrel{\rightharpoonup}{*}}$ | $\begin{gathered} n \\ \underset{\sim}{0} \end{gathered}$ | ু | $\stackrel{\infty}{\text { Lid }}$ |
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